

Place value

The **place of a digit** in a number gives the **value** of the number.



In the number above:

The **5** is in the **Hundred Thousands** position, its value is therefore **500 000**

The **3** is in the **Ten Thousands** position, its value is therefore **30 000**

The **8** is in the **Thousands position**, its value is therefore **8 000**

The **6** is in the **Hundreds position**, its value is therefore **600**

The **2** is in the **Tens position**, its value is therefore **20**

The **9** is in the **Units position**, its value is therefore **9**

To proof that this is correct, we will check if the sum of all the components add up to 538 629:

$$500\ 000 + 30\ 000 + 8\ 000 + 600 + 20 + 9 = 538\ 629$$

Take these numbers and break them down as indicated:

$$7\ 893 = \square \times 1\ 000 + \square \times 100 + \square \times 10 + \square \times 1$$

$$19\ 328 = \square \times 10\ 000 + \square \times 1\ 000 + \square \times 100 + \square \times 10 + \square \times 1$$

$$3\ 080 = \square \times 1\ 000 + \square \times 100 + \square \times 10 + \square \times 1$$

$$62\ 509 = \square \times 10\ 000 + \square \times 1\ 000 + \square \times 100 + \square \times 10 + \square \times 1$$

$$203\ 074 = \square \times 100\ 000 + \square \times 1\ 000 + \square \times 10 + \square \times 1$$

Place value

Expanded Notation:

When a number is written in **Expanded Notation**, it is broken up using the **place value** of the digits in the number. (*Expanded means to extend something*)

If Ellie takes the number **134 678** and wants to write it in **Expanded Notation**, she needs to know the value of each digit.

The value of **1** is **100 000**

The value of **3** is **30 000**

The value of **4** is **4 000**

The value of **6** is **600**

The value of **7** is **70**

The value of **8** is **8**



Now Ellie can write the number 34 678 in Expanded Notation:

$$\mathbf{134\ 678 = 100\ 000 + 30\ 000 + 4\ 000 + 600 + 70 + 8}$$

Ellie

Write the following numbers in Expanded Notation:

$21\ 457 = \underline{\hspace{15em}}$

$8\ 986 = \underline{\hspace{15em}}$

$3\ 020 = \underline{\hspace{15em}}$

$543\ 981 = \underline{\hspace{15em}}$

$401\ 092 = \underline{\hspace{15em}}$

$789 = \underline{\hspace{15em}}$

$900\ 174 = \underline{\hspace{15em}}$

Write the number represented by the each of the following:

$1. \quad 70 + 400\ 000 + 8 + 3\ 000 = \underline{\hspace{15em}}$

$2. \quad 900 + 4\ 000 + 200\ 000 + 6 = \underline{\hspace{15em}}$

$3. \quad 50\ 000 + 7 + 600 + 10 + 800\ 000 = \underline{\hspace{15em}}$

$4. \quad 8H + 3U + 5Th + 1 HTh = \underline{\hspace{15em}}$

$5. \quad 6T + 9TTh + 8 U + 50H = \underline{\hspace{15em}}$

MEMO:

Take the number and break it down as indicated:

$$7\ 893 = (7 \times 1\ 000) + (8 \times 100) + (9 \times 10) + (3 \times 1)$$

$$19\ 328 = (1 \times 10\ 000) + (9 \times 1\ 000) + (3 \times 100) + (2 \times 10) + (8 \times 1)$$

$$3\ 080 = (3 \times 1\ 000) + (0 \times 100) + (8 \times 10) + (0 \times 1)$$

$$62\ 509 = (6 \times 10\ 000) + (2 \times 1\ 000) + (5 \times 100) + (0 \times 10) + (9 \times 1)$$

$$203\ 074 = (2 \times 100\ 000) + (3 \times 1\ 000) + (7 \times 10) + (4 \times 1)$$

Write the following numbers in Expanded Notation:

$$21\ 457 = 20\ 000 + 1\ 000 + 400 + 50 + 7$$

$$8\ 986 = 8000 + 900 + 80 + 6$$

$$3\ 020 = 3000 + 0 + 20 + 0 \text{ (If you leave out the zero, the answer will still be correct.)}$$

$$543\ 981 = 500\ 000 + 40\ 000 + 3\ 000 + 900 + 80 + 1$$

$$401\ 092 = 400\ 000 + 0 + 1\ 000 + 0 + 90 + 2$$

$$789 = 700 + 80 + 9$$

$$900\ 174 = 900\ 000 + 0 + 0 + 100 + 70 + 4$$

Write the number represented by the each of the following:

1. $70 + 400\ 000 + 8 + 3\ 000 = 403\ 078$

2. $900 + 4\ 000 + 200\ 000 + 6 = 204\ 906$

3. $50\ 000 + 7 + 600 + 10 + 800\ 000 = 850\ 617$

4. $8H + 3U + 5Th + 1\ HTh = 105\ 803$

5. $6T + 9TTh + 8\ U + 50H = 95\ 068$